

# *Super-Eddington Accreting Black Hole Systems*

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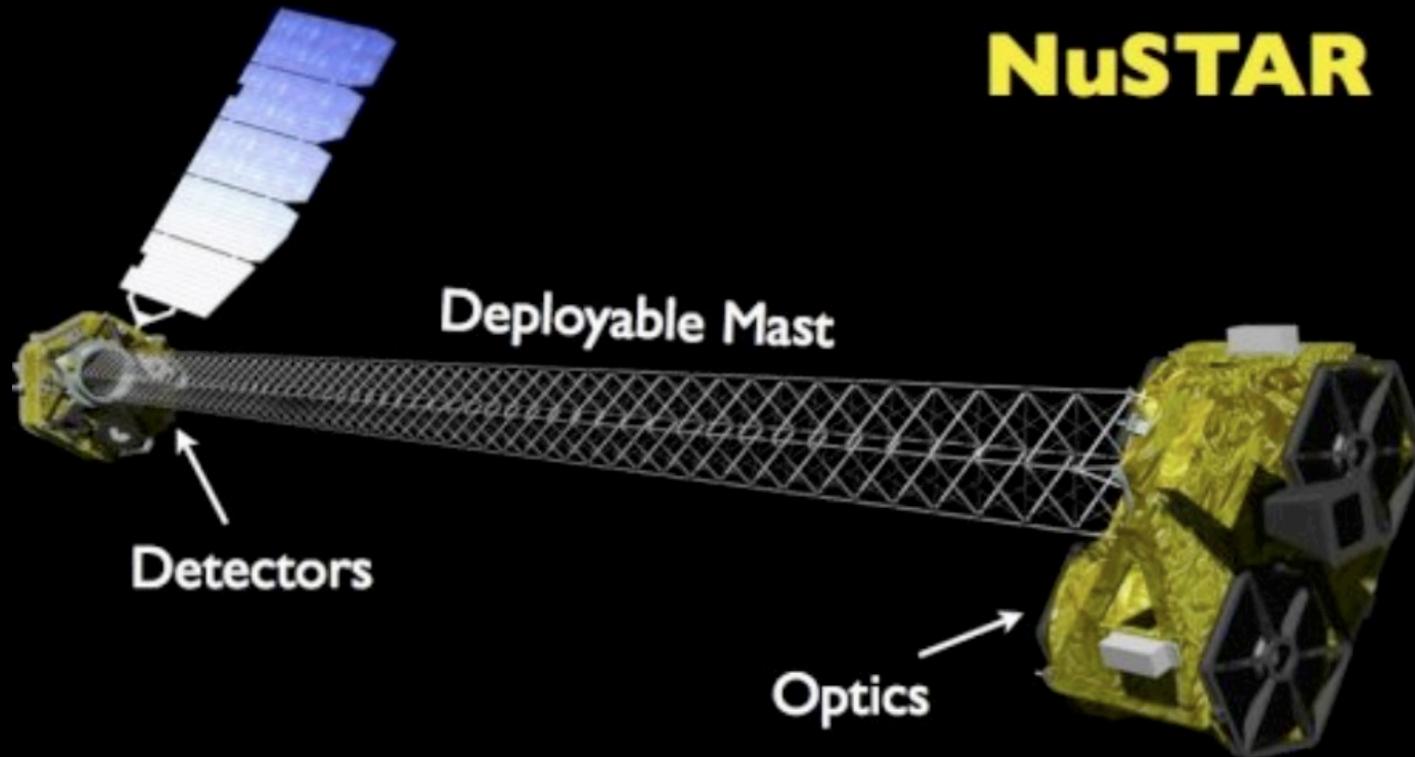
Jet Propulsion Laboratory

California Institute of Technology

Bamberg Black Hole Workshop

19 June, 2012

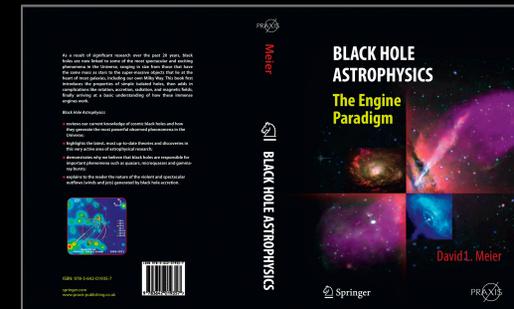
Launched Successfully 13 June!



Mast Deployment Scheduled  
for 21 June; image formation  
and adjustments to follow

# *New Book (Springer-Praxis)*

## *Black Hole Astrophysics: The Engine Paradigm*



- **Part I: Observations of Black Hole Engines**
  - Recognizing Black Holes
  - Macroquasars
  - Microquasars
  - Miniquasars
- **Part II: Physics of Black Hole Engines**
  - Review of Newtonian Mechanics
  - Special Relativity
  - General Relativity and Black Holes
  - Gravitational Waves and Collapse
  - Nuts & Bolts of the Black Hole Engine: **General Relativistic Mechanics**
- **Part III: Astrophysics of Black Hole Engines**
  - Assembling the Engine Block: Black Hole Formation
  - Fueling and Carburetion
  - The Combustion Chamber: Spherical and Disk Accretion
  - The Thermal Exhaust System: Radiation- and Thermally Driven Winds & Jets
  - The Non-Thermal Exhaust System I. Rotating Magnetospheres
  - The Non-Thermal Exhaust System II. Magnetic Winds & Jets
  - Putting it all Together: **Black Hole Engines of All Sizes**
- **Seven Appendices (GR kinetic theory/MHD, stellar structure, FFDE, stationary jet MHD)**

### NOTES:

950 pages; 204 figs; 640 refs.

Mid-level:

Late undergrad, early grad

Observers, PhD engineers

Budding theorists

Not for professional theorists (**maybe a little**)

Not for the layperson

Available mid-July, 2012 (<1 month delay)

10% discount for meeting attendees

### PRICES:

Amazon.com: \$118.58 = 94 €

BHU Flyer BP: 81 £ = 100 €

BHU Flyer (euro): 90 €

# What Does “Super-Eddington” Accretion Mean?

Super-Eddington accretion is DEFINED as  $\dot{m} \equiv \dot{M} / \dot{M}_{Edd} > 1$

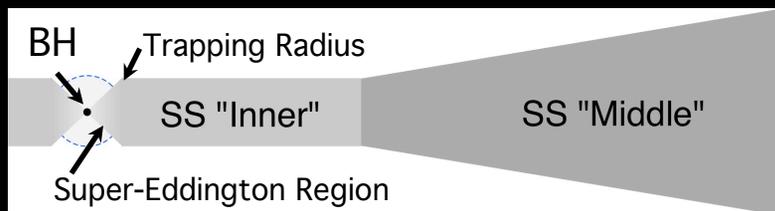
$$\dot{M}_{Edd} = 4 \pi GM / \kappa_{es} c \varepsilon \text{ and } \varepsilon \approx 0.1 \text{ is the accretion efficiency.}$$

But, super-Eddington accretion can drive strong winds that reduce  $\dot{m}$ .  
So, where in the accretion flow parameter  $\dot{m}$

Answer: same as before, in the sub-Eddington portion of the disk

- In SS “Middle” region:  $\dot{m}$  is steady (and same outside that region)
- In SS “Inner” region:  $\dot{m} = \langle \dot{M} / \dot{M}_{Edd} \rangle$  (may be unsteady)

The Shakura & Sunyaev “inner” region spherizes ( $H \approx r$ ), at the “trapping radius”:



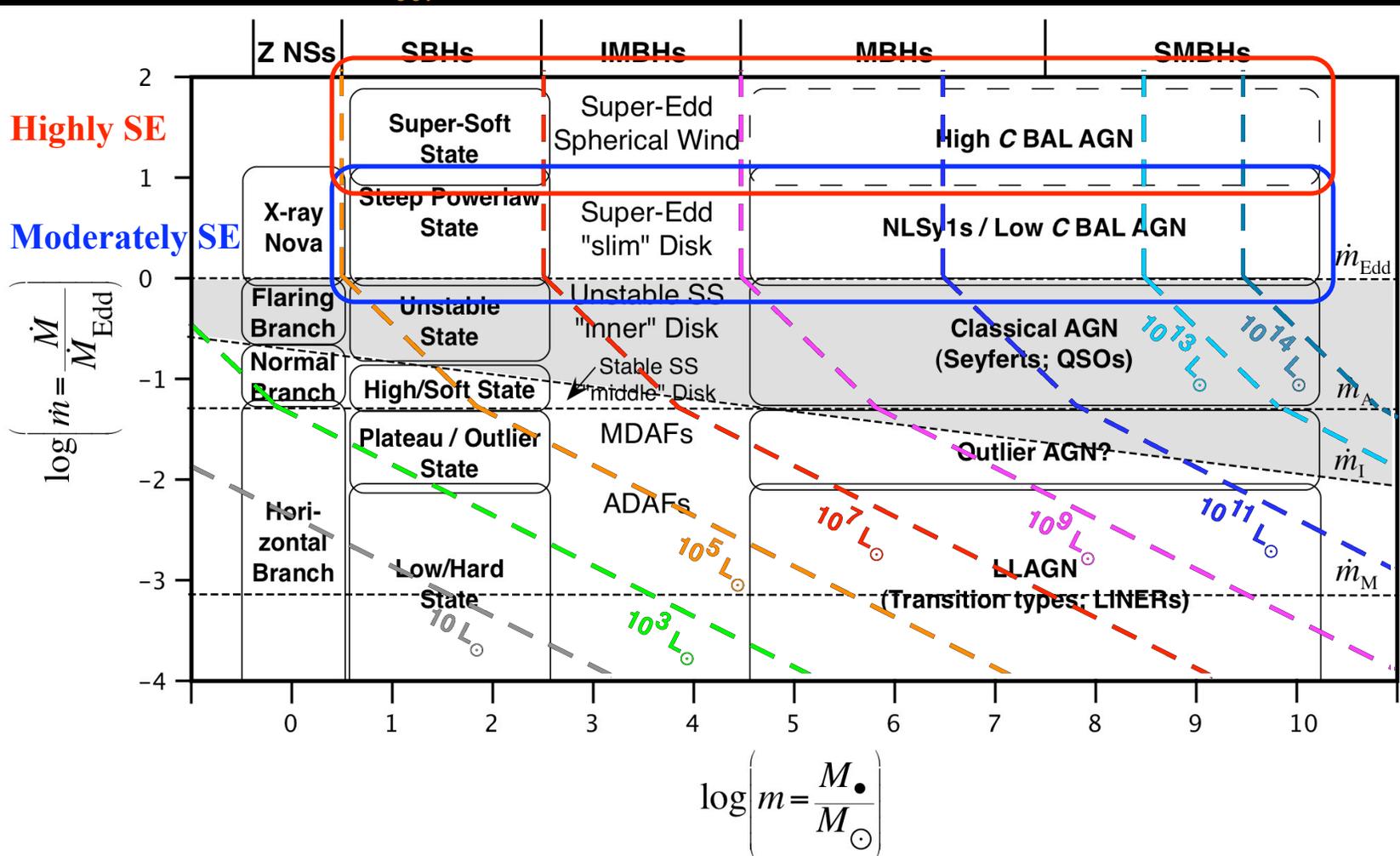
$$r_t = \dot{m} (r_g / \varepsilon)$$

Inside  $r_t$ , the accretion rate may not be constant with radius

# What Does “Super-Eddington” Accretion Mean (cont.)?

The Eddington-scaled luminosity  $l \equiv L_{bol} / L_{edd}$  is NOT necessarily equal to  $\dot{m}$

- For RIAFs  $\dot{m} \ll 1$ ,  $L_{bol} \propto \dot{m}^2 m$  and  $l = \dot{m}^2 / \dot{m}_A$
- For thin disks  $\dot{m} \leq 1$ ,  $L_{bol} \propto \dot{m} m$  and  $l = \dot{m}$
- For SE flows  $\dot{m} > 1$ ,  $L_{bol} \propto m$  and  $l \approx 1$



*Eddington and*  
*Moderately Super-Eddington Accretion:*

*High-Luminosity X-ray Sources*

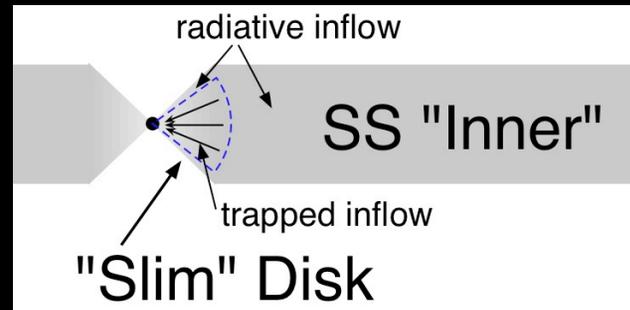
# “Slim” Disk Model for Moderately Super-Eddington Accreting Black Holes

From an accretion theory point-of-view, the “slim” disk model\* is the appropriate model for super-Eddington accretion – at least for  $1 < \dot{m} < \sim 10$  or so.

\*Begelman & dlm (1982); Abramowicz et al. (1988); Chen et al. (1995)

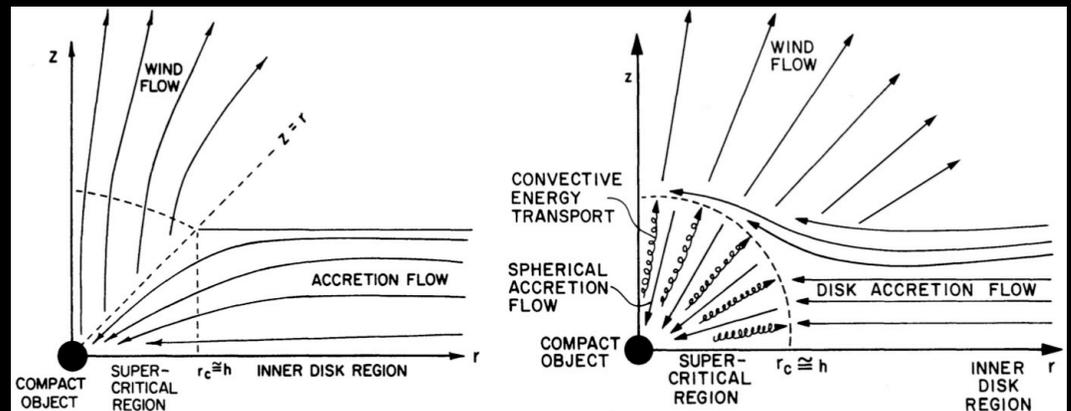
## Properties of “slim” disks:

- Geometrically thick ( $H \sim r$ )
- Radiative inflow along surface
- Trapped, advective core inflow ( $\sim$ ADAF; drags photons toward BH)
- Core inflow is convectively unstable (Begelman & dlm 1982)
- Possibility of significant outflow ( $\sim$ ADIOS)
- Possible models:

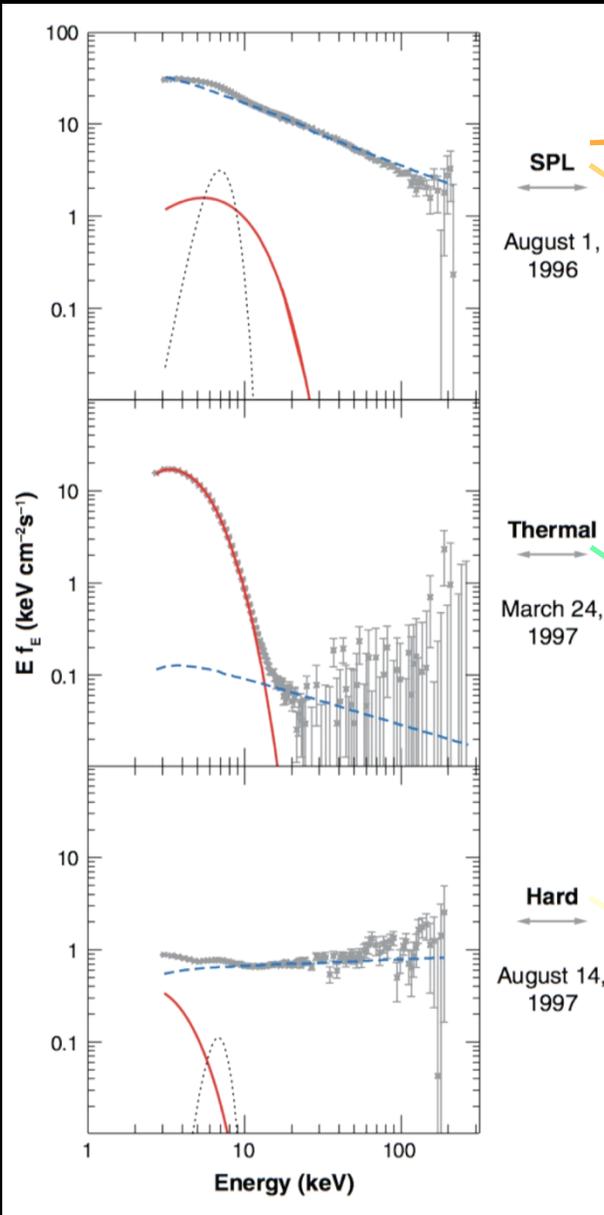


dlm (1979)

- #1: ADIOS-like
- #2: convective transport to radiative regions
- #3: combination of #1 & #2



# Accretion Models for Steep Power-Law Sources



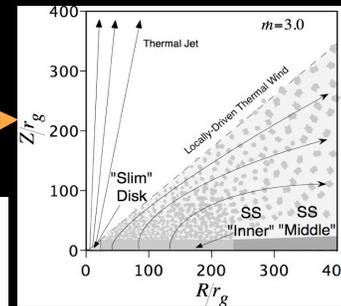
Two Types of SPL Sources

Weak thermal, no QPOs

Strong thermal and QPOs  
SS  
"inner" disk with corona + thermally instability

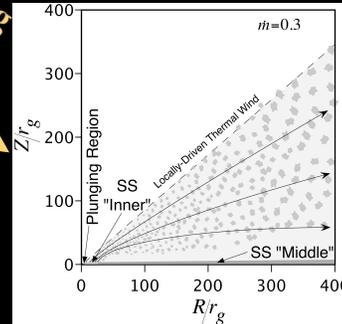
SS  
"middle" disk with compact corona

ADAF + weak thin disk



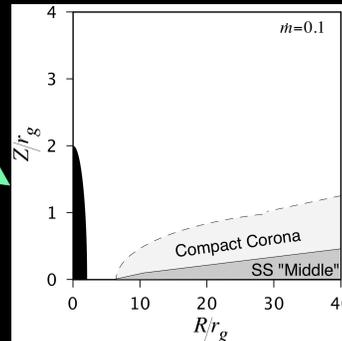
"slim" disk with corona

$$T_* = 1.3 \text{ keV } m_{10}^{-1/4} \dot{m}_{10}^{1/4}$$



$$T_* = 0.7 \text{ keV } m_{10}^{-1/4} \dot{m}_{10}^{1/4}$$

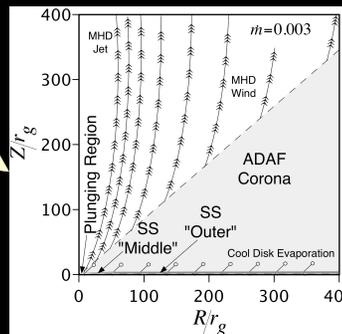
for all thermal models



NOTE

A geometrically thick accreting "slim" disk ( $H \sim R$ ) should have a shallow power law spectrum also ( $\Gamma \sim 0.5$ ), like an ADAF.

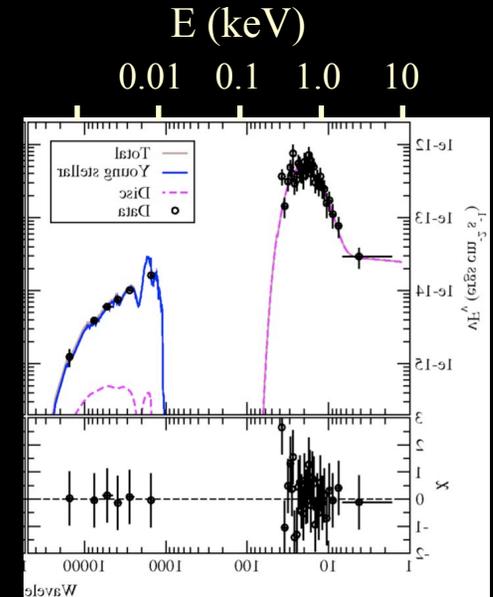
However, if the "slim" disk is losing mass in its interior ( $\dot{M} \sim R^{1/3} - R^{1/2}$ ), it will have a steep spectrum instead ( $\Gamma > 2.4$ ).



# Slim Disk Models for the Source ESO 243-49 HLX-1

ESO 243-49 HLX-1 is a strong candidate for a Portegies Zwart & McMillan-type young cluster that forms an Intermediate Mass Black Hole

- Disk properties:
  - Thermal component temperature:  $T_* = 0.2 \text{ keV}$
  - Bolometric luminosity:  $L_{bol} = 1.1 \times 10^{42} \text{ erg s}^{-1} = 10^{8.5} L_{\odot}$
- Cluster mass:  $(4 - 6) \times 10^6 M_{\odot}$
- Black hole mass from
  - Slim disk accretion models of  $L_{bol}$  and  $T_*$ :  $8800 - 15,000 M_{\odot}$
  - Magorrian relation for cluster mass:  $5200 - 7800 M_{\odot}$
- Black hole accretion rate from:
  - Slim disk accretion models of  $L_{bol}$  and  $T_*$ :  $(0.6 - 5) \dot{M}_{Edd} = 10^{22 - 23} \text{ g s}^{-1}$
- Power law index poorly constrained:
  - Farrell *et al.* used  $\Gamma = 2.1$
  - Easily could be an SPL source ( $\Gamma > 2.4$ )



Farrell *et al.* (2012)

## BOTTOM LINE

Near- and moderately super-Eddington sources should have significant emission above 2 keV AND display a (possibly steep) power-law component that extends toward 10 keV and beyond.

*Highly Super-Eddington  
Accreting Black Holes:*

*“Cygnus X-1s on Steroids”*

# *Super-Eddington Wind Model for Highly Super-Eddington Accreting Black Holes*

Unlike ADIOS winds, when a super-Eddington accretion flow produces outflow, it will be optically thick – VERY optically thick.

Under these conditions (e.g.,  $\dot{m} \gg 10$  or so) for observations we can ignore the details of the accretion flow, deal just with the wind, and assume that the mass loss rate  $\Delta \dot{m} \approx \dot{m}$ .

Early history of super-Eddington winds:

- Shakura & Sunyaev (1973):
  - Constant-velocity wind model (not detailed enough for analyzing observations)
- dlm (1977, 1979, 1982a, b, c):
  - Accelerating, radiatively-driven wind
  - With sonic point, photosphere formation, etc.
  - Relative positions of various important radii affect wind dynamical and thermal properties:
    - Sonic points (gas pressure, radiation pressure)
    - “Adiabatic radius” (where outflow transitions from adiabatic to radiative)
    - Photosphere
  - Generated many very complicated sets of algebraic equations

# Super-Eddington Wind Model for Highly Super-Eddington Accreting Black Holes (cont.)

The complex set of equations can be inverted into a fairly simple set, based on observed  $L_{bol}$  and  $T_*$ .

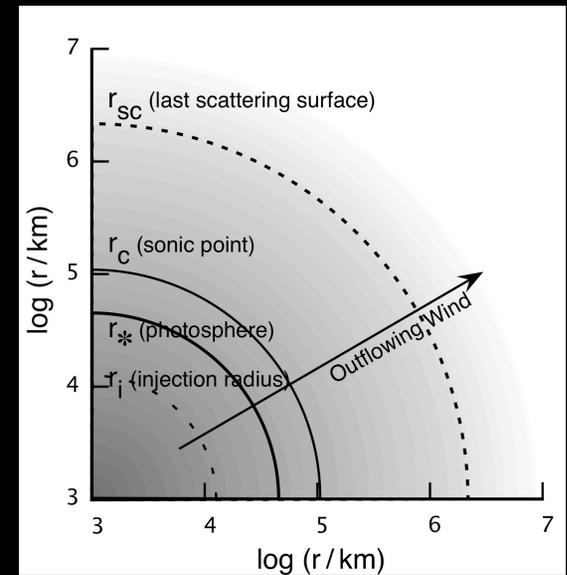
$$m = \frac{L_*}{1.25 \times 10^{38} \text{ erg s}^{-1}}$$

$r_i = 1.01 \times 10^9 \text{ cm}$	$\alpha^{2/5}$	$m^{19/25}$	$T_{*6}^{-28/25}$
$r_* = 2.2 \times 10^9 \text{ cm}$		$m^{3/5}$	$T_{*6}^{-17/10}$
$r_c = 1.43 \times 10^9 \text{ cm}$	$\alpha^{-1/10}$	$m^{19/25}$	$T_{*6}^{-28/25}$
$r_{sc} = 1.36 \times 10^{11} \text{ cm}$	$\alpha^{1/10}$	$m^{16/25}$	$T_{*6}^{-42/25}$
$V_\infty = 3.7 \times 10^8 \text{ cm s}^{-1}$	$\alpha^{3/10}$	$m^{3/25}$	$T_{*6}^{14/25}$

$$\dot{m} = 1.22 \times 10^3 \alpha^{2/5} m^{-6/25} T_{*6}^{-28/25}$$

## Properties of super-Eddington winds:

- $L_{bol}$  remains near  $L_{edd}$ , regardless of  $\dot{m}$
- Very extended: last scattering surface  $r_{sc} > 100 r_i \approx r_t$
- Spectrum formed deep in wind: photosphere  $r_* \ll r_{sc}$
- Photosphere can be below or above sonic point  $r_c$
- However, lower  $\dot{m}$  produces hotter spectrum  $T_*$  (just like a classical nova)



### BOTTOM LINE

Highly super-Eddington sources should be very cool

$$T_* = 1.1 \text{ keV } m_{10}^{-0.21} \dot{m}_{10}^{-0.89}$$

with little or no emission above 1 – 2 keV.

Super-Eddington wind model:

$$M = 25 M_\odot$$

$$\dot{M} = 2 \times 10^{21} \text{ g s}^{-1}$$

$$T_* = 0.17 \text{ keV}$$

$$V_{wind} = 2800 \text{ km s}^{-1}$$

# Super-Eddington Wind Models for Super-Soft ULX Sources

Some well known super-soft ULXs:

- P098 in M101 (Pence *et al.* 2001; Mukai *et al.* 2003)
- N1 in M81 (Swartz *et al.* 2002)
- ULX in GC RZ 2109 in NGC 4472 (Zepf *et al.* 2008)
- SS 433 (?)

Basic properties of super-soft ULXs:

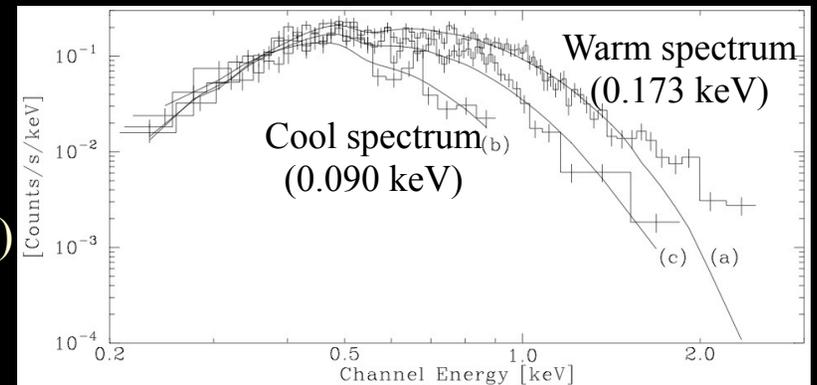
- $L_{bol} > 10^{39} \text{ erg s}^{-1}$
- $T_* < \sim 0.2 \text{ keV}$
- Little detectable emission above  $\sim 2 \text{ keV}$

Important properties of P098:

- Highly variable
- But variability is only in  $T_*$  (0.090 – 0.173 keV)
- $L_{bol}$  remains constant at  $\sim 3 \times 10^{39} \text{ erg s}^{-1}$  (just like a classical nova)

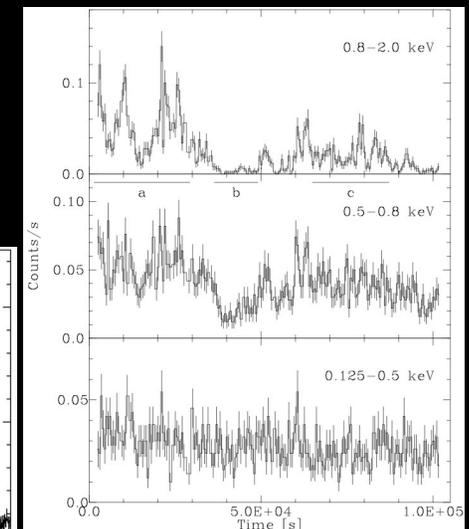
Important properties of RZ 2109 ULX:

- $L_{bol} \sim 4 \times 10^{39} \text{ erg s}^{-1}$
- Estimated mass of BH  $\sim (10 - 35) M_{\odot}$
- $V_{wind} \sim 2000 \text{ km s}^{-1}$

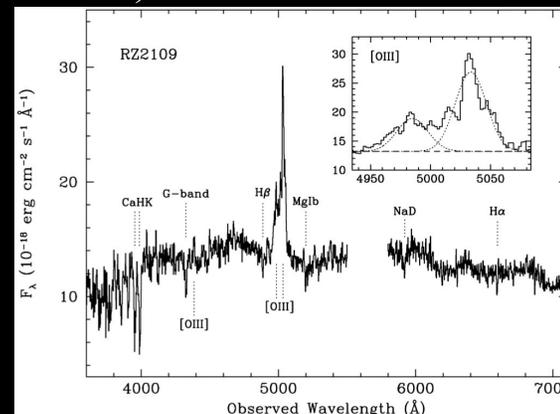


P098 spectral variability ...

... and light curves



Mukai *et al.* (2003)



Zepf *et al.* (2003)

# Super-Eddington Wind Model for ULX P098 in M101

We can use the previous set of equations to determine the following about P098 in M101, under the SE wind model:

- Mass of BH  $\sim 25 M_{\odot}$
- Accretion rates of  $(4 - 7) \times 10^{-5} M_{\odot} \text{ yr}^{-1}$

What kind of mass transfer could produce such high accretion rates?:

- Roche lobe overflow on a thermal time scale

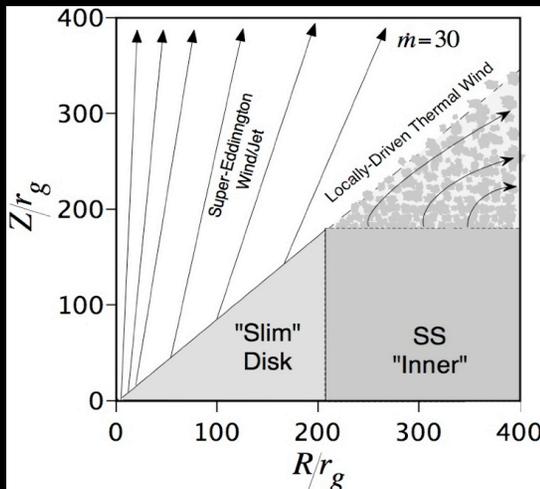
$$\dot{M}_{\text{th}\bullet}^* \approx \frac{M_{\star}}{\tau_{\text{th}}^*} = 2.0 \times 10^{18} \text{ g s}^{-1} \left( \frac{M_{\star}}{M_{\odot}} \right)^{3.5}$$

from an  $\sim 8 M_{\odot}$  B star companion

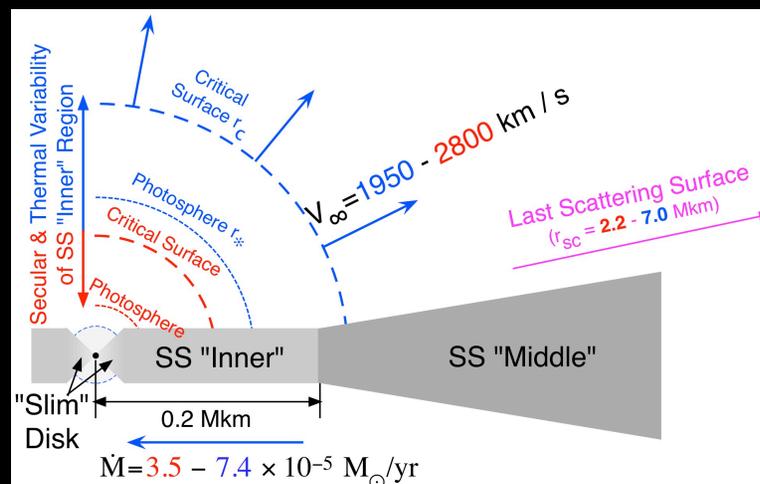
- Variability time scales (8 min – 15 hr) are similar to the thermal and secular time scales in the “inner” region
- Prediction: P098 should show outflow between 2000 – 3000 km s<sup>-1</sup>

Table 16.4: Models of P098 at two different color temperatures

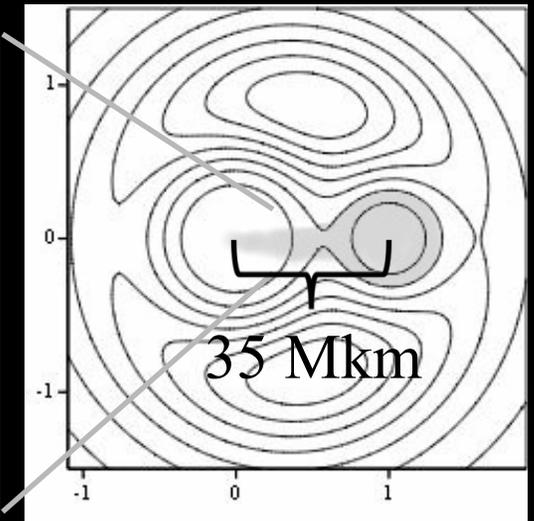
Parameter	Symbol	Cool spectrum	Warm spectrum
Color temp.	$T_{\star}$	0.090 keV	0.173 keV
Accretion rate	$\dot{m}$	130	63
Mass-loss rate	$\Delta \dot{M} \approx \dot{M}$	$4.6 \times 10^{21} \text{ g s}^{-1}$	$2.2 \times 10^{21} \text{ g s}^{-1}$
Injection radius	$r_i$	27,000 km	13,000 km
Photosphere	$r_{\star}$	141,000 km	46,000 km
“Sonic” radius	$r_c$	223,000 km	107,000 km
Scattersphere	$r_{\text{sc}}$	$7 \times 10^6 \text{ km}$	$2.2 \times 10^6 \text{ km}$
Wind speed	$V_{\infty}$	1950 km s <sup>-1</sup>	2800 km s <sup>-1</sup>



Schematic diagram



Accretion Model for Two Temperatures  $T_{\star}$



*Introduction to  
SuperMassive Super-Eddington Sources:*

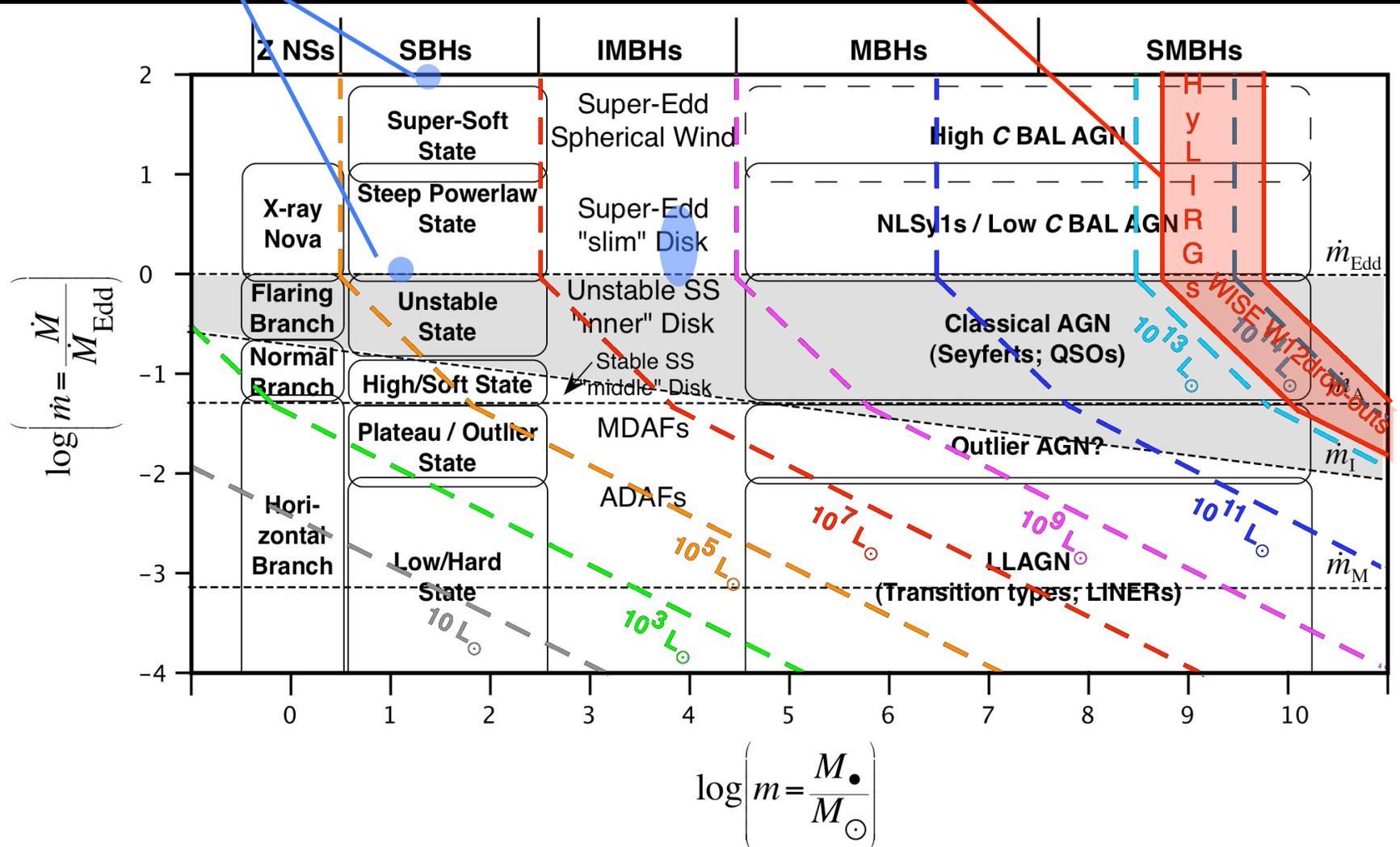
*NLSy1s, BAL Quasars,  
ULIRGs, and HyLIRGs*

# SuperMassive Super-Eddington Sources: An Introduction

Any source that hovers near its Eddington luminosity (or more) is a SE candidate

SPL and Super-Soft sources

WISE-selected HyLIRGs (60% Type 2 opt spectra)  
(Eisenhardt et al.; Jingwen et al 2012)



# Conclusions

1. ULXs are good candidates for stellar-mass and IMBH super-Eddington sources:
  - ULXs having significant emission above 2 keV:  
moderately ( $1 < \dot{m} < 10$ ) SE SPL sources, esp. if  $\Gamma > 2.4$
  - Super-soft ULXs with little emission above 2 keV:  
highly SE accreting objects ( $\dot{m} \gg 10$ )
2. WISE-selected W12dropouts are good candidates for extreme SMBH super-Eddington sources:
  - Have Type 2 optical/UV spectrum  $\rightarrow$  large dusty torus
  - Dark at 3 & 5  $\mu\text{m}$ , bright at 12 & 22  $\mu\text{m}$   $\rightarrow$  torus very opt thick
3. Others (NLSy1s, BAL QSOs, etc.) possible but not discussed
4. Some high covering factor BAL QSOs also may exist